

# MTH202 GRAND QUIZ

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## MTH202 GRAND QUIZ

Range of function  $f(x) = (e^x)$  is \_\_\_\_\_

- **Set of positive real numbers**

Composite relation symbolically written as \_\_\_\_\_

- **$S \circ R = \{(a,c) \mid a \in A, c \in C, \exists b \in B, (a,b) \in R \text{ and } (b,c) \in S\}$**

If  $x \equiv 17 \pmod{5}$  which of the following integers are valid solution for  $x$  ?

- **12**

Range of the relation  $\{(0,1), (3,22), (90,34)\}$

- **$\{1,22,34\}$**

Let  $A = \{0,1,2\}$  and  $R = \{(0,2), (1,1), (2,0)\}$  be a relation on  $A$ . The which of the following ordered pairs are needed to make it transitive?

- **$(0,0)$  and  $(2,2)$**

Operation of subtraction is a binary operation on the set of \_\_\_\_\_

- **Integers**

Let  $S = R$  and define the 'square' relation  $R = \{(x,y) \mid x^2 = y^2\}$ . The square relation is an \_\_\_\_\_ relation

- **Equivalence relation**

The logic gate NOT is a unary operation on  $\{0,1\}$ .

- **True**

Let  $A = \{1,2\}$ , then  $P(A) =$  \_\_\_\_\_

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- $\{\emptyset, \{1\}, \{2\}, \{1,2\}\}$

If a relation R is reflexive, anti symmetric and transitive then which of the following is not true for the inverse relation.

- Inverse relation will be irreflexive.

Let R be a binary relation on a set A, R is anti-symmetric iff \_\_\_\_\_

- $a, b \in A$  if  $(a,b) \in R$  and  $(b,a) \in R$  then  $a=b$

“-“ is a binary operation on the set of integers Z.

- True

The inverse relation  $R^{-1}$  from B to A is defined as \_\_\_\_\_

- $R^{-1} = \{(b,a) \in B \times A \mid (a,b) \in R\}$

Which of the following is always true for the matrix representation of a symmetric relation?

- Matrix is equal to its transpose

Let  $A = \{1,2,3,4\}$  and let R and S be transitive binary relations on A defined as;  $R = \{(1,2), (1,3), (2,2), (3,3), (4,2), (4,3)\}$  and  $S = \{(2,1), (2,4), (3,3)\}$  then  $R \cup S = \{(1,2), (1,3), (2,1), (2,2), (2,4), (3,3), (4,2), (4,3)\}$

- R union S is transitive

Let  $S=R$  and define the ‘square’ relation  $R = \{(x,y) \mid x^2=y^2\}$ . The square is an \_\_\_\_\_ relation.

- Equivalence relation

If  $x \equiv -10 \pmod{15}$ . Which of the following integers are valid solution for x?

- 5

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Let  $R$  be a binary relation on a set  $A$ . If  $R$  is anti symmetric then

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- Inverse of  $R$  is anti symmetric

If  $A = \{1, 2, 3\}$  is a set and  $R = \{(1, 2), (2, 2), (2, 1)\}$  is a relation on  $A$ ,  $R$  is

- Symmetric

Let  $A = \{0, 1\}$  and  $B = (1)$ . Let  $R$  and  $S$  be two binary relations on Cartesian product of  $A$  and  $B$  such that  $R = \{(0, 1)\}$  and  $S = \{(1, 1)\}$ . Then  $R$  intersection  $S =$  \_\_\_\_\_

- Empty

A relation  $R$  is said to be \_\_\_\_\_ iff it is reflexive, antisymmetric and transitive.

- Partial order Relation

Let  $X = \{1, 2, 3\}$  and  $Y = \{7, 8, 9\}$  and let  $f$  be function defined from  $X$  to  $Y$  such that  $f$  is onto then which of the following statement about  $f$  is true?

- Co-domain of  $f$  must contain 1 element

The function  $f \circ g$  and  $g \circ f$  are always equal

- False

If a relation  $R = \{(1, 2), (2, 3), (3, 4), (4, 1), (2, 2)\}$  is given then which of the following is true about this relation.

- $R$  is reflexive

A set is called countable if , and only if, it is \_\_\_\_\_

- finite

Let  $f(x) = x^2 - 1$  define function  $f$  from  $\mathbb{R}$  to  $\mathbb{R}$  and  $c = 2$  be any scalar, then  $c, f(x)$  is \_\_\_\_\_

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- $2x^2+2$

The set  $Z$  of all integers is \_\_\_\_\_

- **Countable**

Let  $R$  be a binary relation on a set  $A$ . If  $R$  is anti symmetric then \_\_\_\_\_

- **Inverse of  $R$  is symmetric**

For  $(2x-3, 4y+2) = (1,10)$ . What will be the value of  $x$  and  $y$  ?

- **(2,2)**

Let  $f$  and  $g$  be the two functions from  $R$  to  $R$  defined by  $f(x) = |x|$  and  $g(x) = \text{square root of } x^2$  for all  $x \in R$ . Then \_\_\_\_\_

- **$f(x)$  is not equal to  $g(x)$**

If a set  $A$  has 15 elements then  $P(A)$  (power set of  $A$ ) has \_\_\_\_\_ elements.

- **$2^{15}$**

For the relation below to be a function,  $x$  cannot be what values  $\{(12,14), (13,5), (-2,7), (x,13)\}$ ?

- **$x$  cannot be 12, 13, or -2**

Let the set  $A = \{1,2,3,4\}$ . Then the relation  $\{(2,4), (4,2)\}$  is \_\_\_\_\_

- **Symmetric**

For the following relation to be a function,  $x$  can not be what values?  
 $R = \{(2,4), (x,1), (4,2), (5,6)\}$ .

- **$x$  cannot be 2,4 and 5**

Vertical line test is used to determine that whether the graph of a relation is a function or not.

- **True**

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The properties of being symmetric and being anti symmetric are

---

- Not negative of each other

The number of elements in  $A \times B$  are \_\_\_\_\_ if A is a set with '5' elements and B is a set with '4' elements.

- 20

$R = \{(a,1)(b,2)(c,3)(d,4)\}$  then the inverse of this relation is \_\_\_\_\_

- $\{(1,a)(2,b)(3,c)(4,d)\}$

Logic gate NOT does not define a binary operation on  $(0,1)$  because

---

- It takes a single input and gives a single output

How many real numbers exist between 1 and 5

- 3

The number pi is

- Irrational

The number square root 2 is

- Irrational

Range the relation  $\{(0,1)(3,22),(90,34)\}$

- $\{0,3,90\}$

Spherical coordinate 0 is related to the cylindrical coordinate as \_\_\_\_\_

- $@=@$

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Operation of subtraction is a binary operation on the set \_\_\_\_\_

- **Integers**

Let  $A = \{1,2,3,4\}$  and  $R = \{(1,2), (2,3), (3,3), (3,4)\}$  be a relation on  $A$ . Then which one of the following ordered pair has made  $R$  not an irreflexive relation?

- **(3,3)**

Input values of the function are called the \_\_\_\_\_

- **Domain**

Range of function  $f(x) = |x|$  will be

- **Set of positive real numbers**

Which of the following is not a binary operation on the set of integers?

- **Division**

In the matrix representation of an irreflexive relation all the entries in the main diagonal are \_\_\_\_\_

- **0**

If the partition set of  $A$  is  $\{A_1, A_2\}$  then

- **$A_1 \cap A_2 =$  not empty set**

Let  $A = \{a, b\}$  then  $P(A) =$

- **{Non empty set,  $\{a\}, \{b\}, \{a, b\}}$ }**

Which relations below are not functions?

- **$\{(13,14), (13,5), (16,7), (18,13)\}$ }**

In the directed graph of an antisymmetric relation there is \_\_\_\_\_ pair of arrows between two distinct elements of the set.

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- **No**

If a relation  $R = (1,1), (2,1), (2,2)$  is given then which of the following is not true about this relation

- **R is irreflexive**

Let R and S be transitive relations on a set A then \_\_\_\_\_

- **Neither R union S is transitive nor R intersection S is transitive**

Let  $R = \{(1,2), (3,4), (5,6), (7,8)\}$ . Domain of the inverse of the relation is

\_\_\_\_\_

- **{2,4,6,8}**

Let  $A = \{1,2,3,4,5\}$  and  $B = \{4,9,16,17,25\}$ . Then the relation  $R = \{(2,4), (3,9), (4,16), (9,17)\}$  The inverse of R is'

- **\{(4,2), (9,3), (16,4), (17,3)\}**

Let R be a relation on a set A. If R is symmetric then its compliment is

\_\_\_\_\_

- **Irreflexive**

Which is not a binary operation on the set of natural numbers  $\mathbb{N}$ ?

- **Subtraction**

If a relation  $R = \{(1,1), (2,1), (1,2), (2,2)\}$  is given then which of the following is not true about this relation.

- **R is irreflexive**



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$R = \{(a,1)(b,2)(c,3)(d,4)\}$  then the inverse of this relation is

\_\_\_\_\_

- $\{(1,a)(2,b)(3,c)(4,d)\}$

For any set A, the Cartesian product of A and A is known as

\_\_\_\_\_

- **Universal relation**

Let  $A = \{p,q,r,s\}$  and define a relation R on A by  $R = \{(p,p),(p,r),(q,r),(q,s), (r,s)\}$  Then which one of the following is the correct statement about R:

- **R is not reflexive**

$A = \{1,2\}$   $B = \{3,4\}$ ,  $R = \{(1,3)(2,4)\}$ . Then the complement of R is

\_\_\_\_\_.

- $\{(1,4)(2,3)\}$

Domain of a relation symbolically written as \_\_\_\_\_.

- **$\text{Dom}(R) = \{a \in A \mid (a,b) \in R\}$**

Let  $X = \{2,4,5\}$  and  $Y = \{1,2,4\}$  and R be a relation from X to Y defined by  $R = \{(2,4)(4,1)(a,2)\}$ . For what value of 'a' the relation R is a function?

- **5**

Let  $A = \{1,2,3,4,5,6,7,8,9\}$ , then which of the following sets represent the partition of the set A?

- **$A = \{1,3,5,7,9\}$ ,  $B = \{2,4,6\}$ ,  $C = \{8\}$**

Let  $A = \{1,2,3\}$  and  $B = \{2,4\}$  then number of binary relations from A to B are \_\_\_\_\_.

- **64**

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A relation R is said to be \_\_\_\_\_ iff it is reflexive, antisymmetric and transitive.

- **Partial order Relation**

Let f be a function from  $X=\{2,4,5\}$  to  $Y=\{1,2,4,6\}$  defined as:  $f=\{(2,6), (4,2), (5,1)\}$ . The range of f is \_\_\_\_\_

- **{1,2,6}**

Let  $A=\{0,1,2\}$  and  $R=\{(0,2), (1,1), (2,0)\}$  be a relation on A. Then which of the following statement about R is true?

- **R is symmetric**

Let  $A=\{2,3,4\}$  and  $B=\{2,6,8\}$  and let R be the “divides” relation from A to B i.e for all (a,b) belong to (Cartesian product of A and B),  $aRb$  iff a | b (a divides b). Then

- **$R=\{(2,2), (2,6), (2,8), (3,6), (4,8)\}$**

Let  $A=\{1,2,3,\dots,50\}$  and  $B=\{2,4,6,8,10\}$ . Then the Cartesian product of A and B has \_\_\_\_\_ elements.

- **250**

In the matrix representation of an reflexive relation all the entries in the main diagonal are \_\_\_\_\_

- **1**

Which of the following is not a type of a relation?

- **Permutation**

Let  $X=\{2,4,5\}$  and  $Y=\{1,2,4\}$  and R be a relation from X to Y defined by  $R=\{(2,4), (4,1), (a,2)\}$ . For what value of ‘a’ the relation R is a function ?

- **5**

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Which of the following is not a representation of a relation?

- Venn diagram

Let  $A = \{1, 2, 3, 4\}$  and define the following relations on  $A$ . Then  $R = \{(1, 3), (1, 4), (2, 3), (2, 4), (3, 1), (3, 4)\}$  is \_\_\_\_\_

- R is irreflexive

The range of  $f: X \rightarrow Y$  is also called the image of

- True

Complementary Relation symbolically written as \_\_\_\_\_

- $R = A * B - R = \{(a, b) \in A * B \mid (a, b) \text{ not belong to } R\}$

Let  $A = \{1, 2, 3, 4\}$  and  $R = (1, 1)(2, 2), (3, 3), (4, 4)$  then  $R$  is

- All options

If a relation  $R = \{(1, 1), (2, 1), (1, 2), (2, 2)\}$  is given then which of the following is not true about this relation.

- R is irreflexive

Which of the following logical connective is not a binary operation ?

- Implication

A set may be dividend up into its disjoint subsets, such division is called \_\_\_\_\_

- Partition

If  $A = (1, 2, 3) \& B = (4, 5, 6)$  and  $R = \{(1, 4)(2, 5)(3, 6)(3, 4)\}$  The complementary relation is \_\_\_\_\_

- $A * B(\text{difference or } -) R$

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In matrix representation of a \_\_\_\_\_ relation, the diagonal entries are always 1.

- Reflexive

R is not symmetric iff there are elements a and b in A such that

\_\_\_\_\_

- (a,b) belongs to R but (b,a) does not belong to R

Which relations below are functions?

$$R1 = \{(3,4), (4,5), (6,7), (8,9)\}$$

$$R2 = \{(3,4), (4,5), (6,7), (3,9)\}$$

$$R3 = \{(-3,4), (4,-5), (0,0), (8,9)\}$$

$$R4 = \{(8,11), (34,5), (6,17), (8,19)\}$$

- R1 and R3 are functions

The logic gate OR and AND are unary operation on {0,1}

- False

There is atleast one loop in the graph of an irreflexive relation

- False

There is atleast one loop in the graph of an reflexive relation

- True

A contains 3 elements and B contains 2 elements, then number of subsets of  $A * B$  are \_\_\_\_\_

- 64

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Let  $A=\{1,2,3\}$  and  $B=\{0,1,2\}$  and  $C=\{a,b\}$   $R=\{(1,0),(1,2),(3,1),(3,2)\}$   
 $S=\{(0,b),(1,a),(2,b)\}$  composite of  $R$  and  $S=$  \_\_\_\_\_

- $\{(1,b),(1,a),(3,a),(3,b)\}$

If  $R$  is transitive then the inverse relation will be transitive

- **True**

The number of elements in the power set of  $P$  (not empty set) denoted by  $P(P(\text{not empty set}))$  is

- **2**

The function defined from  $Z$  to  $Z$  as  $f(x) = 1/(x+2)(x-2)$  is not well defined because \_\_\_\_\_

- **Function is not defined at  $x=2$  and  $x=-2$**

Rang of relation  $\{(0,1),(3,22),(90,34)\}$  is \_\_\_\_\_

- **$\{1, 22, 34\}$**

The number of elements in the power set of  $P$  (not empty set) denoted by  $P(\text{not empty set})$  is

- **1**

Let  $R=\{(1,2),(3,4),(5,6),(7,8)\}$ . Domain of inverse of the relation is \_\_\_\_\_

- **$\{2,4,6,8\}$**

The relation 'divides' on the set of integers is \_\_\_\_\_

- **A symmetric relation**

Operation of subtraction is a binary operation on the set of \_\_\_\_\_

- **Integers**

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If R is transitive then the inverse relation will be transitive.

- True

Let  $A = \{1, 2, 3, 4\}$  and define the relation R on A by  $R = \{(1, 2), (2, 3), (3, 3), (3, 4)\}$ . Then \_\_\_\_\_

- R is both reflexive and irreflexive

A set may be divided up into its disjoint subsets, such division is called

- Partition

If a set A contains n elements then the number of elements in its power set P(A) is \_\_\_\_\_

- $2^n$

Range of a relation symbolically written as \_\_\_\_\_.

- $\text{Ran } R = \{b \in B \mid (a, b) \in R\}$

Let R be a binary relation on a set A. If R is anti symmetric then \_\_\_\_\_.

- Inverse of R is anti symmetric

Let A be a set with m elements and B be a set with n elements then the number of elements in  $A \times B$  are \_\_\_\_\_

- m.n

Let  $A = \{1, 2, 3, 4\}$  and define the following relation on A. Then  $R = \{(1, 3), (2, 2), (2, 4), (3, 1), (4, 2)\}$  Is \_\_\_\_\_

- R is symmetric

If  $A = \{1, 2, 3\}$  &  $B = \{4, 5, 6\}$  and  $R = \{1, 4\}, \{2, 5\}, \{3, 6\}, \{3, 4\}$ . The complementary relation is \_\_\_\_\_

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- $A * B$  (difference or -)  $R$

Let  $R$  be a relation on a set  $A$ . If  $R$  is reflexive then its complement is

\_\_\_\_\_

- Irreflexive

$25 \equiv 1 \pmod{3}$  means that 3 divides \_\_\_\_\_

- 25-1

Let  $R$  be the universal relation on a set  $A$  then which one of the following statement about  $R$  is true ?

- $R$  is reflexive, symmetric and transitive

Domain of a relation symbolically written as \_\_\_\_\_

- $\text{Dom}(R) = \{a \in R \mid (a, b) \in R\}$

Let  $R$  be a relation on a set  $A$ .  $R$  is transitive if and only if for all  $a, b, c \in A$  then

- $(a, b) \in R$  and  $(b, c) \in R$  then  $(a, c) \in R$

Let  $A$  be a non-empty set and  $P(A)$  the power set of  $A$ . Define the 'subset' relation,  $\subseteq$  as follows for all  $X, Y \in P(A)$ ,  $X \subseteq Y \iff$  for all  $x$ , iff  $x \in X$  then  $x \in Y$ . Then  $\subseteq$  is \_\_\_\_\_

- $\subseteq$  is partial order relation

Define a relation  $R = \{(1,1), (2,2), (3,3), (1,3)\}$  the relation is

- $R$  is reflexive and transitive

Let  $R$  be a relation on a set  $A$ .  $R$  is transitive if and only if for all  $a, b, c \in A$  then.

- $(a, b) \in R$  and  $(b, c) \in R$  then  $(a, c) \in R$

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Let R and S be reflexive relations on a set A then  $R \cap S$  is reflexive

- True

A function whose range consists of only one element is called \_\_\_\_\_

- One to one function

The set Z of all integers is \_\_\_\_\_

- Countable

One-to-one correspondence means the condition of \_\_\_\_\_

- Both (a) and (c)

Let  $X = \{1, 5, 9\}$  and  $Y = \{3, 4, 7\}$ , Define a function f from X to Y such that  $f(1) = 7, f(5) = 3, f(9) = \underline{\hspace{2cm}}$ . Which is true f(9) to make it a one-to-one (injective) function?

- 4

What will be the fourth term of the following sequence  $1/2, 2/3, 3/4$  \_\_\_\_\_?

- 4/5

The value of  $6! =$

- 720

A constant function is one to one iff its \_\_\_\_\_ is a singleton.

- Domain

A constant function is onto iff its \_\_\_\_\_ is a singleton.

- Co-domain



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Number of one to one functions from  $X=\{a,b\}$  to  $Y=\{u,v\}$  are equal to

\_\_\_\_\_

- 2

If  $f$  is defined recursively by  $f(0) = -1$  and  $f(n+1)=f(n)+3$ , then  $f(2)=$ \_\_\_\_\_.

- 5

A function whose inverse function exists is called a/an \_\_\_\_\_

- Invertible function

Let  $f(2)=3$ ,  $g(2)=3$ ,  $f(4)=1$  and  $g(4)=2$  then the value of  $f \circ g(4)$  is.....

- 3

Let  $A=\{1,2,3,4\}$  and  $B=\{7\}$  then the constant function from  $A$  to  $B$  is \_\_\_\_\_.

- Onto

Composition of a function is a commutative operation.

- False

Composition of a function is not a commutative operation

- True

The sum of first five whole number is \_\_\_\_\_.

- 10

If  $f$  and  $g$  are two one-to-one functions, then their composition that is  $g \circ f$  is one-to-one.

- True

Inverse of a surjective function is always a function.

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- False

Inverse of a surjective function may not be a function

- True

Let  $X=\{1,2,3,4\}$  and  $Y=\{7,8,9\}$  and let  $f$  be function defined from  $X$  to  $Y$  such that  $f$  is onto then which of the following statement about  $f$  is true?

- Co-domain of  $f$  must contain 3 elements

If  $f: X \rightarrow Y$  and  $g: Y \rightarrow Z$  are both onto functions. Then  $g \circ f: X \rightarrow Z$  is

\_\_\_\_\_

- onto

If  $f$  and  $g$  are two one-to-one functions, then their composition  $g \circ f$  is \_\_\_\_\_

- One-to-one

If  $f: W \rightarrow X$ ,  $g: X \rightarrow Y$ , and  $h: Y \rightarrow Z$  are functions, then \_\_\_\_\_

- $(h \circ g) \circ f = h \circ (g \circ f)$

Cardinality of positive prime numbers less than 20 is \_\_\_\_\_.

- 8

If  $f(x)=\sin^{-1}(x)$  and  $g(x)=\sin x$  then  $g \circ f(x)$  is \_\_\_\_\_.

- $x$

$0! =$  \_\_\_\_\_.

- 1

An important data type in computer programming consists of

\_\_\_\_\_.

- Finite sequences

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Let  $f(x)=2x$  and  $g(x)=x+2$  define functions  $f$  and  $g$  from  $\mathbb{R}$  to  $\mathbb{R}$ , then  $(f-g)(x)$  is \_\_\_\_\_.

- x-2**

The total number of terms in an arithmetic series  $0+5+10+15+\dots+50$  are \_\_\_\_\_.

- 11**

$9!/6!=$  \_\_\_\_\_

- 504**

Let  $f(x)=3x$  and  $g(x)=3x-2$  define functions  $f$  and  $g$  from  $\mathbb{R}$  to  $\mathbb{R}$ , THEN  $(F+G)(X)$  is \_\_\_\_\_

- 6x-2**

If  $f$  is a bijective function then  $(f^{-1}f(x))$  is equal to

- X**

A sequence whose terms alternate in sign is called an \_\_\_\_\_

- Alternating sequence**

Common ratio in the sequence "4, 16, 64, 256,..." is.....12.

- 4**

0.8181818181 is a infinite geometric series.

- True**

The word 'algorithm' refers to a step-by-step method for performing some action.

- True**

A predicate become \_\_\_\_\_ when its variables are given specific values

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- **Sentence**

The sum of two irrational numbers must be an irrational number.

- **False**

The sum of two irrational numbers need not be irrational number

- **True**

The division by zero is allowed in mathematics.

- **Fasle**

The product of any two consecutive positive integers is divisible by 2

- **True**

If 'n' is an odd integer then  $n^3+n$  is \_\_\_\_\_.

- **Even**

For integers a,b,c, If divides b and a divides c, then a divides (a+b).

- **False**

Quotient remainder theorem states that for any positive integer d, there exist unique integer q and r such that \_\_\_\_\_ and  $0 < r < d$

- **$N=d.q+r$**

A rule that assigns a numerical value to each outcome in a simple space is called

- **Random variable**

If A and B are two disjoint (mutually exclusive) events then  $P(AB)=$

- **$P(A) + P(B)$**

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How many ways are there to select five players from a 10 member tennis team to make a trip to a match to another school?

- **C(10,5)**

The expectation of  $x$  is equal to

- **Sum  $xf(x)$**

If  $P(A \text{ intersection } B) = P(A) P(B)$  THEN THE events A and B are called

- **Independent**

A walk that starts and ends at the same vertex is called.

- **None optins**

How many integers from 1 through 1000 are neither multiple of 3 nor multiple of 5

- **497**

What is the probability of getting a number greater than 4 when a die is thrown?

- **3/5**

Eater formula for graphs is \_\_\_\_\_.

- **$F=e-v+2$**

$X+a, x+3a, x+5a, \dots$  is an \_\_\_\_\_

- **Arithmetic sequence**

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Composition of a function is a commutative operation.

- False**

Real valued function is a function that assigns \_\_\_\_\_ to each member of its domain.

- Only a real number**

Let  $X = \{1, 2, 3, 4\}$  and a function 'f' defined on X  $f(1)=1, f(2)=2, f(3)=3, f(4)=4$  then \_\_\_\_\_

- F is an identity function**

A constant function is surjective if and only if \_\_\_\_\_

- The co-domain consists of a single element**

Cardinality means the total number of elements in a set.

- True**

If  $f(x)=2x$  and  $g(x)=x$  then  $g(f(x))$  is \_\_\_\_\_.

- $2x^2$**

Let  $f: \mathbb{R} \rightarrow \mathbb{R}$  is one to one function then  $c, f, c$  is not equal 0 is also one to one function.

- True**

Let  $X = \{1, 2, 3, 4\}$  and a function 'f' defined from X to X by  $f(1)=1, f(2)=1, f(3)=1, f(4)=1$  then which of the following is true?

- F is a constant function**

If f and g are two one-to-one functions, then their composition that is  $g \circ f$  is one-to-one.

- True**

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Which of the following is not correct for a 'sequence'?

- A sequence is a relation whose domain is the set of natural numbers

$F(x)=x^2$  is not one to one function from  $\mathbb{R}$  to  $\mathbb{R}^+$

- True

Let  $f: \mathbb{R} \rightarrow \mathbb{R}$  is one to one function then  $c, f \circ c$  is not equal to is also one to one function.

- True

Let  $f(x)=x+2$  then  $f^{-1}(x)$  is \_\_\_\_\_

- $x-2$

Let  $f(x)=x^2+1$  define functions  $f$  from  $\mathbb{R}$  to  $\mathbb{R}$  and  $c=2$  be any scalar, then  $c, f(x)$  is \_\_\_\_\_.

- $2x^2-1$

One to one correspondence means the condition of \_\_\_\_\_.

- Both (a) and (c)

A function  $F: \mathbb{R} \rightarrow \mathbb{R}$  defined by  $f(x) = \text{square root } x$  is a real valued function.

- False

If  $g: \mathbb{R} \rightarrow \mathbb{R}$  defined by  $g(x)=e^x$  is a real valued function of a real variable.

- True

A function  $F: \mathbb{R} \rightarrow \mathbb{R}$  defined by  $f(x) = \log x$  is a real valued function

- True

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$\frac{1}{2}$ , then 3<sup>rd</sup> term of sequence is \_\_\_\_\_.

- **1/2**

The process of defining an object in terms of smaller versions of itself is called recursion.

- **True**

Which of the following is not correct for a 'sequence'?

- **A sequence is a relation whose domain is the set of natural numbers**

A set is called countable if, and only if, it is \_\_\_\_\_.

- **Finite and countable infinite....both**

A set that is not countable is called \_\_\_\_\_.

- **Uncountable**

A sequence whose terms alternate in sign is called an \_\_\_\_\_.

- **Alternating sequence**

Let  $f: \mathbb{R} \rightarrow \mathbb{R}$  is one to one function then  $c, f$  is also one to one function for \_\_\_\_\_.

- **C is not equal 0**

Let  $f(x) = x+3$  then  $f^{-1}(x)$  is \_\_\_\_\_.

- **x-3**

Let  $f$  and  $g$  be two functions defined by  $f(x) = x+2$  and  $g(x) = 2x+1$ . Then the composition of  $f$  and  $g$  is \_\_\_\_\_.

- **2x+3**



# AL-JUNAID INSTITUTE GROUP

Number of one to one functions form  $X=\{a,b\}$  to  $Y=\{u,v\}$  are equal to

\_\_\_\_\_

- 2

The fibonacci sequence is defined as  $F_0=1, F_1=1, F_k=F_{k-1}+F_{k-2}$  for all integers  $k \geq 2$  then which of the following is true for  $F_2$

- $F_2 - F_1 = 2 + 1 = 3$

$x+a, x+3a, x+5a, \dots$  is a/an \_\_\_\_\_.

- Arithmetic sequence

Inverse of a function may not be a function.

- True

In the following sequence  $a_k = K/(k+1)$ , for  $k=1$ ,  $a_1$  will be \_\_\_\_\_.

- $\frac{1}{2}$

If  $f(x)=x$  and  $g(x)=-x$  are both one to one function then  $(f+g)(x)$  is also one to one function.

- False

If  $f(x)=x$  and  $g(x)=-x$  are both one to one function then  $(f+g)(x)$  is not one to one function.

- True

The function 'f' and 'g' are inverse of each other if and only if their composition gives \_\_\_\_\_.

- Identity function

Which of the following set is the domain of a sequence?

- Set of real numbers

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Let C is defined as the set of all countries in the world then C is a

\_\_\_\_\_.

- **Finite set**

A constant function is surjective if and only if \_\_\_\_\_.

- **The co domain consists of a single element**

The sum of the series  $a_1 + a_2 + a_3 + \dots$  can be written as \_\_\_\_\_.

- $\sum_{i=1}^{\text{infinity}} a_k$

Inverse of a function may not be a function.

- **True**

If  $F_k = F_{k-1} + F_{k-2}$  then  $F_0 = 1, f_1 = 2$ , then  $F_2 =$  \_\_\_\_\_

- **3**

Let  $X = \{1, 2, 3, 4\}$  and a function 'f' defined from X to X by  $f(1)=1, f(2)=1, f(3)=1, f(4)=1$  then which of the following is true?

- **F is a constant function**

The composition of function is always

- **Associative**

A set is countably infinite if, and only if, it has the same cardinality as the set of

- **Positive integers**

Two functions 'f' and 'g' from 'X' to 'Y' are said to be equal if and only if \_\_\_\_\_.

- **$F(x)=g(x)$  for all 'x' belongs to X**

$Y=x^3$  is a graph of bijective function from R to R.

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- True

Domain and range are same for \_\_\_\_\_.

- Identity function

Let  $X=\{1,2,3,4\}$  and a function 'f' defined on X by  $f(1)=1, f(2)=2, f(3)=3$

- F is an identity function

Composition of a function is a commutative operation.

- True

Inverse of a surjective function is always a function.

- False

A function whose inverse function exists is called a/an \_\_\_\_\_.

- Invertible

Given a set X define a function I from X to X by  $i(x)=x$  from all x belonging to X. Then \_\_\_\_\_.

- I is both injective and surjective

Let  $f: \mathbb{R} \rightarrow \mathbb{R}$  is a one to one function then  $c, f$  is also one to one function for.

- C is not equal 0

Let  $X=\{1,5,9\}$  and  $Y=\{3,4,7\}$ . Define a function f from X to Y such that  $f(1)=7, f(5)=3, f(9)=$ \_\_\_\_\_. Which is true for f(9) to make it a one-to-one (injective) function?

- 4

Which of the following is not a predecessors of ak?

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- $A_{k+1}$

Two functions 'f' and 'g' from X to Y are said to be equal if and only if \_\_\_\_\_.

- $F(x)=g(x)$  for all 'x' belongs to x

The two functions 'f' and 'g' are equal if \_\_\_\_\_.

- $F(x) = 3x$  and  $g(x) = 6x^2 + 3x / 2x^2 + 1$  for all  $x \in \mathbb{R}$

If first term of a geometric sequence is 2 and common ratio is  $\frac{1}{2}$ , then 3<sup>rd</sup> term, of sequence.

- $\frac{1}{4}$

$Y = \sqrt{x}$  is an \_\_\_\_\_ function form  $\mathbb{R}^+$  to  $\mathbb{R}$

- **One to one function**

$Y = x^2$  is an \_\_\_\_\_ function form  $\mathbb{R}$  to  $\mathbb{R}^+$

- **NOT ONE TO ONE FUNTION**

If a function  $(g \circ f)(x) : X \rightarrow Z$  is defined as  $(g \circ f)(x) = g(f(x))$  for all  $x \in X$ , Then the function \_\_\_\_\_.

- **(gof)**

If 0 is the first term and -2 be the common difference of an arithmetic series, then the sum of first five terms of series is \_\_\_\_\_.

- **-20**

If  $f(x) = \sin^{-1}(x)$  and  $g(x) = \sin x$  then  $g \circ f(x)$  is \_\_\_\_\_.

- **X**

$F: X \rightarrow Y$  that is both one to one and onto is called a \_\_\_\_\_.

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- **Bijjective function**

What does 'y' denotes in a geometric sequence?

- **Common ratio**

Let g be a function defined by  $g(x)=x+1$ . Then the composition of (gog).

- **X+2**

A graph of a function f is one to one iff every horizontal line intersects the graph in at most one point.

- **True**

Which of the following is true for the following sequence?

- **If n is even, then  $C_n=2$  and if n is odd, then  $C_n = 0$**

The function 'f' and 'g' are inverse of each other if and only if their composition gives \_\_\_\_\_.

- **Identity function**

N! is defined to be \_\_\_\_\_.

- **The product of the integers from 1 to n**

Let  $A = \{1,2,3,4\}$  and  $B=\{7\}$  then the constant function from A to B

- **Both one to one and onto**

A set is called countable if, and only if, it is \_\_\_\_\_.

- **Countably infinite and finite**

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If  $f(x) = x$  and  $g(x) = -x$  are both one to one functions then  $(f+g)(x)$  is also one to one function.

- False**

If  $a$  is the 1st term and  $d$  be the common difference of an arithmetic sequence then the sequence is  $a, a+d, a+2d, a+3d, \dots$

- True**

$x+a, x+3a, x+5, \dots$  is a/an \_\_\_\_\_.

- Arithmetic sequence**

inverse of an injective function may not be a function.

- True**

$y=x^3$  is a graph of bijective function from  $\mathbb{R}$  to  $\mathbb{R}$

- False**

Two functions 'f' and 'g' from  $x$  to  $y$  are said to be equal if and only if \_\_\_\_\_.

- $f(x)=g(x)$  for all 'x' belongs to  $x$**

Common ratio in sequence '36, 12, 4, 4/3, ....' is .....

- 1/3**

A set is called finite if, and only if, is the \_\_\_\_\_ or there is -----.

- Empty set or one-to-one**

Let  $f(x)=x^2-1$  and  $g(x)=x+1$  define functions  $f$  and  $g$  from  $\mathbb{R}$  to  $\mathbb{R}$ , then  $(f/g)(x)$

- $x-1$**

# AL-JUNAID INSTITUTE GROUP

A graph of a function  $f$  is one to one iff every horizontal line intersects the graph in at most one point.

- True

Let  $g$  be a function defined by  $g(x) = x+1$ . Then the composition of  $(g \circ g)$ .

- $x+2$

$f: X \rightarrow Y$  that is both one to one and onto is called a \_\_\_\_\_.

- Bijective function

What does 'r' denotes in a geometric sequence?

- Common ratio

Let  $A = \{1, 2, 3, 4\}$  and  $B = \{7\}$  then the constant function from  $A$  to  $B$  is \_\_\_\_\_.

- Both one to one and onto

$n!$  is defined to be \_\_\_\_\_.

- The product of the integers from 1 to  $n$

A set is called countable if, and only if, it is \_\_\_\_\_.

- Both b and c

Which of the following is the example of an alternating sequence?

- $C_n = n/n+1$  for  $n \geq 0$

$x+a, x+3a, x+5a, \dots$  is an \_\_\_\_\_

- Arithmetic sequence

# AL-JUNAID INSTITUTE GROUP

0, -5, -10, -15, ... is an \_\_\_\_\_.

- Arithmetic sequence

5, 9, 13, 17, ... is an \_\_\_\_\_.

- Arithmetic sequence

An important data type in computer programming consists of \_\_\_\_\_.

- Finite sequence

One-to-one correspondence means the condition of \_\_\_\_\_.

- One-one and onto ...both

Cardinality means the total number of elements in a set.

- True

Inverse of a function may not be a function.

- True

The functions 'f' and 'g' are inverse of each other if and only if their composition gives \_\_\_\_\_.

- Identity function

A set is called finite if , and only if, it is the \_\_\_\_\_ or there is \_\_\_\_\_.

- Empty set or one-to-one

Let f and g be the two functions from R to R defined by  $f(x) = |x|$  and  $g(x) = \text{square root } x^2$  for all  $x \in \mathbb{R}$ , then \_\_\_\_\_.

- $f(x)$  is not equal to  $g(x)$

If  $f^{-1}(x) = 6-x/2$  then  $f^{-1}(2)$  is \_\_\_\_\_.



# AL-JUNAID INSTITUTE GROUP

o 2

Let  $f(2)=3$ ,  $g(2)=3$ ,  $f(4)=1$  and  $g(4)=2$  then the value of  $f \circ g(4)$  is \_\_\_\_\_.

o 3

An important data type in computer programming consists of \_-----.

o Finite sequence

Let  $f(x)=x+3$  then  $f^{-1}(x)$  is \_\_\_\_\_.

o X-3

If  $f: X \rightarrow Y$  and  $g: Y \rightarrow Z$  are both onto function. Then  $g \circ f: X \rightarrow Z$  is \_\_\_\_\_.

o One-to-one function

The functions 'f' and 'g' are inverse of each other if and only if their composition gives

o Identity function

The two function 'f' and 'g' are equal if \_\_\_\_\_.

o  $F(x) = 3x$  and  $g(x) = 6x^2 + 3x / 2x + 1$  for all  $x \in \mathbb{R}$

Two functions 'f' and 'g' from X To Y are said to be equal if and only if-----.

o  $F(x)$  and  $g(x)$  for all 'x' belongs to X

Which of the following set is the domain of a sequence?

o Set of natural numbers

If 1<sup>st</sup> term of a geometric sequence is 2 and common ratio is  $1/2$ , then 3<sup>rd</sup> term of sequence is \_\_\_\_\_.

o 1/2

# AL-JUNAID INSTITUTE GROUP

Composition of a function is a commutative operation.

- True

If a function  $(g \circ f)(x): X \rightarrow Z$  is defined as  $(g \circ f)(x) = g(f(x))$  for all  $x \in X$ . Then the function \_\_\_\_\_ is known as composition of  $f$  and  $g$ .

- $(g \circ f)$

A set is countably infinite if and only if, it has the same cardinality as the set of \_\_\_\_\_.

- Positive integers

The 3<sup>rd</sup> term of the sequence  $b_n = 5^n$  is \_\_\_\_\_.

- 125

If  $f$  is a bijective function then  $(f^{-1}(f(x)))$  is equal to \_\_\_\_\_.

- $x$

Let  $f(x) = x$  and  $g(x) = -x$  for all  $x \in \mathbb{R}$ , then  $(f+g)(x)$  is \_\_\_\_\_.

- 0

An infinite sequence may have only a finite number of values.

- True

The functions  $f \circ g$  and  $g \circ f$  are always equal.

- False

If  $f$  and  $g$  are two one-to-one functions, then their composition that is  $f \circ g$  is one-to-one.

- True

A function whose range consists of only one element is called \_\_\_\_\_.

\_\_\_\_\_.

# AL-JUNAID INSTITUTE GROUP

## Constant function

Let  $X = \{1, 5, 9\}$  and  $Y = \{3, 4, 7\}$ . Define a function  $f$  from  $X$  to  $Y$  such that  $f(1)=7$ ,  $f(5)=3$ ,  $f(9)=4$  then which of the following statement about 'f' is true?

## F is both one-to-one and onto

$Y=x^3$  is a graph of bijective function from  $R$  to  $R$ .

## True

A function whose inverse function exists is called a/an \_\_\_\_\_.

## Invertible

Let  $F$  and  $g$  be two functions defined by  $f(x) = x+2$  and  $g(x) = 2x+1$ . Then the composition of  $f$  and  $g$  is \_\_\_\_\_.

## $2x + 5$

If  $r$  is a positive real number, then the value of  $r$  in  $3, r, r = -27r$  is

## -9

The \_\_\_\_\_ of the terms of a sequence forms a series.

## Sum

The sum of first five whole number is \_\_\_\_\_.

## 10

If  $f_k = f_{k-1} + f_{k-2}$  then  $f_0 = 1$ ,  $f_1 = 2$ , then  $f_2 =$  \_\_\_\_\_.

## 3

Let  $f(x) = 3x$  and  $g(x) = x + 2$  define functions  $f$  and  $g$  from  $R$  to  $R$ , then  $(f.g)(x)$  is \_\_\_\_\_.

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○  $3x^2 + 6x$

Let R be a relation on a set A. If R is reflexive then its compliment is \_\_\_\_\_.

○ Irreflexive

If A = Set of students of virtual university then A has been written in the \_\_\_\_\_.

○ Descriptive form

If a function  $(g \circ f)(x): X \rightarrow Z$  is defined as  $(g \circ f)(x) = g(f(x))$  for all  $x \in X$ . Then the function \_\_\_\_\_ is known as composition of f and g.

○  $(g \circ f)$

If X and Y are independent random variables and a and b are constants, then  $\text{Var}(aX + bY)$  is equal to

○  $a\text{Var}(X) + b\text{Var}(Y)$

Let  $A = \{1, 2, 3\}$  and  $B = \{2, 4\}$  then number of functions from A to B are \_\_\_\_\_.

○ 8

p is equivalent to q' means \_\_\_\_\_.

○ p is necessary and sufficient for q.

Let A and B be subsets of U with  $n(A) = 12$ ,  $n(B) = 15$ ,  $n(A') = 17$ , and  $n(A \cap B) = 8$ , then  $n(U) =$  \_\_\_\_\_.

○ 29

For the following relation to be a function, x can not be what values?  
 $R = \{(2,4), (x,1), (4,2), (5,6)\}$

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- x cannot be 2, 4 or 5

Find the number of the word that can be formed of the letters of the word "ELEVEN".

- 120

There are three bus lines between A and B, and two bus lines between B and C. Find the number of ways a person can travel round trip by bus from A to C by way of B?

- 6

Among 20 people, 15 either swim or jog or both. If 5 swim and 6 swim and jog, how many jog?

- 16

A predicate becomes \_\_\_\_\_ when its variables are given specific values.

- statement

Find the number of distinct permutations that can be formed using the letters of the word "BENZENE"

- 420

Suppose there are 8 different tea flavors and 5 different biscuit brands. A guest wants to take one tea and one brand of biscuit. How many choices are there for this guest?

- 40

In how many ways a student can choose one of each of the courses when he is offered 3 mathematics courses, 4 literature courses and 2 history courses.

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○ 24

If  $p \leftrightarrow q$  is True, then \_\_\_\_\_.

○ p and q both are True.

If A and B be events with  $P(A) = 1/3$ ,  $P(B) = 1/4$  and  $P(A \cap B) = 1/6$ , then  $P(A \cup B) =$  \_\_\_\_\_.

○ 5/12

an integer n is a perfect square if and only if \_\_\_\_\_ for some integer k.

○  $n = k^2$

If A and B are disjoint finite sets then  $n(A \cup B) =$  \_\_\_\_\_.

○  $n(A) + n(B)$

Let  $X = \{2, 4, 5\}$  and  $Y = \{1, 2, 4\}$  and R be a relation from X to Y defined by  $R = \{(2,4), (4,1), (a,2)\}$ . For what value of 'a' the relation R is a function ?

○ 5

$\sim(P \rightarrow q)$  is logically equivalent to \_\_\_\_\_.

○  $p \wedge \sim q$

A tree is normally constructed from \_\_\_\_\_.

○ left to right

A Random variable is also called a \_\_\_\_\_.

○ Chance Variable

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The conjunction  $p \wedge q$  is True when \_\_\_\_\_.

- **p is True, q is True**

The logical statement  $p \wedge q$  means \_\_\_\_\_.

- **p AND q**

Which of the followings is the factorial form of  $5 \cdot 4$ ?

- **5!/3!**

What is the minimum number of students in a class to be sure that two of them are born in the same month?

- **13**

If  $p$  is false and  $q$  is true, then  $\sim p \leftrightarrow q$  is \_\_\_\_\_.

- **True**

If  $f$  and  $g$  are two one-to-one functions, then their composition that is  $g \circ f$  is one-to-one.

- **TRUE**

$(p \vee \sim p)$  is the \_\_\_\_\_.

- **Tautology**

$(-2)! =$  \_\_\_\_\_ ?

- **Undefined**

If  $p =$  It is raining,  $q =$  She will go to college  
"It is raining and she will not go to college"  
will be denoted by

- **$p \wedge \sim q$**

# AL-JUNAID INSTITUTE GROUP

Let  $X = \{1, 2, 3\}$ , then 2-combinations of the 3 elements of the set  $X$  are \_\_\_\_\_?

- $\{1, 2\}, \{1, 3\}$  and  $\{2, 3\}$

Let  $f(x) = x^2 + 1$  define functions  $f$  from  $\mathbb{R}$  to  $\mathbb{R}$  and  $c = 2$  be any scalar, then  $c \cdot f(x)$  is \_\_\_\_\_.

- $2x^2 + 2$

The disjunction of  $p$  and  $q$  is written as \_\_\_\_\_.

- $p \vee q$

If  $X$  and  $Y$  are independent random variables, then  $E(XY)$  is equal to

- $E(x)E(y)$

How many possible outcomes are there when a fair coin is tossed four times?

- 16

Which of the followings is the product set  $A * B * C$ ? where  $A = \{a\}$ ,  $B = \{b\}$ , and  $C = \{c, d\}$ .

- $\{(a, b, c), (a, b, d)\}$

The number of the words that can be formed from the letters of the word, "COMMITTEE" are

- $9! / (2!2!2!)$

One-to-One correspondence means the condition of \_\_\_\_\_.

- One-One and onto

The functions  $f \circ g$  and  $g \circ f$  are always equal.



# AL-JUNAID INSTITUTE GROUP

- FALSE

If order matters and repetition is allowed, then which counting method should be used in order to select 'k' elements from a total of 'n' elements?

- K-Sample

Determine values of x and y, where  $(2x, x + y) = (8, 6)$ .

- $x = 4$  and  $y = 2$

Let g be a function defined by  $g(x) = x + 1$ . Then the composition of  $(g \circ g)(x)$  is \_\_\_\_\_.

- $x + 2$

What is the truth value of the sentence?  
'It rains if and only if there are clouds.'

- False

Reductio and absurdum' is another name of \_\_\_\_\_.

- Proof by contradiction

X belongs to A or x belongs to B, therefore x belongs to \_\_\_\_\_.

- A union B

Which of the followings is the product set  $A * B * C$ ? Where  $A = \{a\}$ ,  $B = \{b\}$ , and  $C = \{c, d\}$ .

- $\{(a, b, c), (a, b, d)\}$

Real valued function is a function that assigns \_\_\_\_\_ to each member of its domain.

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- Only a real number

The negation of “Today is Friday” is

- Today is not Friday

A non-zero integer  $d$  divides an integer  $n$  if and only if there exists an integer  $k$  such that \_\_\_\_\_.

- $n = d k$

The statement  $p \rightarrow q$  is logically equivalent to  $\sim q \rightarrow \sim p$

- True

Let  $R$  be the universal relation on a set  $A$  then which one of the following statement about  $R$  is true?

- $R$  is reflexive, symmetric and transitive.

Let  $f(x)=3x$  and  $g(x) = 3x - 2$  define functions  $f$  and  $g$  from  $R$  to  $R$ . Then  $(f+g)(x) =$  \_\_\_\_\_.

- $6x - 2$

The switches in parallel act just like \_\_\_\_\_.

- OR gate

The converse of the conditional statement  $p \rightarrow q$  is

- $q \rightarrow p$

If  $X$  and  $Y$  are random variables, then  $E(aX)$  is equal to

- $aE(X)$

# AL-JUNAID INSTITUTE GROUP

Which of the following statements is true according to the Division Algorithm?

- $17 = 5 \times 3 + 2$

Let  $p \rightarrow q$  be a conditional statement, then the statement  $q \rightarrow p$  is called \_\_\_\_\_.

- **Converse**

The disjunction  $p \vee q$  is False when \_\_\_\_\_.

- **P is False, q is False.**

A student can choose a computer project from one of the two lists. The two lists contain 12 and 18 possible projects, respectively. How many possible projects are there to choose from?

- **30**

The converse of the conditional statement 'If I live in Quetta, then I live in Pakistan' is \_\_\_\_\_.

- **If I live in Pakistan, then I live in Quetta.**

The functions 'f' and 'g' are inverse of each other if and only if their composition gives \_\_\_\_\_.

- **Identity function**

$P(0, 0) =$  \_\_\_\_\_?

- **1**

Let  $p_1, p_2, p_3$  be True premises in a given Truth Table. If the conjunctions of the Conclusion with each of  $p_1, p_2, p_3$  are True, then the argument is \_\_\_\_\_.

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- **Valid**

If  $p$  is false and  $q$  is false, then  $\sim p$  implies  $q$  is \_\_\_\_\_.

- **False**

A box contains 5 different colored light bulbs. Which of the followings is the number of ordered samples of size 3 with replacement?

- **125**

Let  $A = \{2, 3, 5, 7\}$ ,  $B = \{2, 3, 5, 7, 2\}$ ,  $C =$  Set of first five prime numbers. Then from the following which statement is true ?

- **$A = B$**

The set of prime numbers is \_\_\_\_\_.

- **Infinite set**

The contrapositive of the conditional statement 'If it is Sunday, then I go for shopping' is \_\_\_\_\_.

- **I do Not go for shopping, then it is Not Sunday.**

Let  $p$  be True and  $q$  be True, then  $(\sim p \wedge q)$  is \_\_\_\_\_.

- **False**

In how many ways a student can choose a course from 2 science courses, 3 literature courses and 5 art courses.

- **30**

The method of loop invariants is used to prove \_\_\_\_\_ of a loop with respect to certain pre and post-conditions.

- **correctness**

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A student is to answer five out of nine questions on exams. Find the number of ways that can choose the five questions

- 126

If A and B are any two sets, then  $A - B = B - A$

- False

There are 5 girls students and 20 boys students in a class. How many students are there in total?

- 25

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